# **German Jordanian University**



# School of Basic Sciences and Humanities Differential Equations (MATH205)

### **Class Times and Location**

#### **Textbook**

Advanced Engineering Mathematics, Erwin Kreyszig, 10<sup>th</sup> edition, Wiley.

#### **Other References**

- Elementary Differential Equations, W. Boyce and R. DiPrima, 10<sup>th</sup> Edition. Wiley, 2013
- Mathematical Methods in the Physical Sciences, Mary L. Boas. Third Edition. Wiley, 2006.
- Introduction to Mathematical Physics, Nabil Laham & Nabil Ayoub

## **Course Objective**

To provide the student with the fundamental elements and techniques of solving differential equations, which are instrumental in all fields of science and engineering.

## **Course Grading Policy**

Course Total Grade	100%
First Exam Second Exam Final Exam	30% 30% <u>40%</u>

## **Cheating or Plagiarism**

Cheating is not tolerated and will be dealt with harshly. Any form of cheating will result into immediate failing of the class in accordance with University Regulations.

### **Classroom Conducts and Attendance:**

This will be discussed thoroughly during the first day of classes.

IMPORTANT NOTE: Absences may be excused by medical certificate but they are never erased. The only circumstance where an absence is erased is if a student is officially representing the university and has produced a letter from Student Affairs to prove this or if a student must attend an exam on the same day and time provided an acceptable letter is produced from the relevant Doctor of that subject. All other absences are considered as official and are counted. A verbal warning will be given by the teacher after 3 absences. A written formal warning will be given after 4 absences and a student with 5 absences will be required to drop the course and re-register the following semester. If a student is regularly late this will result in an absence.

The following are the instructions given in the university regulations: A student is not permitted to absent himself / herself from more than 15% of the total number of credit hours assigned for each course (i.e. four lectures of the total number of lectures prescribed for a course that is being taught two times per week with a duration of one hour and a half per lecture).

Chapter	Homework
Chapter 1: First-Order Ordinary Differential Equation	ons
1.1 Basic Concepts. Modeling	9-19
1.3 Separable ODEs. Modeling	2-17
1.4 Exact ODEs. Integrating Factors	1-16
1.5 Linear ODEs. Bernoulli Equation	1-13, 2 -28
Chapter 2: Second-Order ODEs	
2.1 Homogeneous Linear ODEs of Second Order	3-10
2.2 Homogeneous Linear ODEs with Constant Coefficients	1-30
2.5 Euler–Cauchy Equations	2-6, 12 19
2.7 Nonhomogeneous ODEs	1-18
2.9 Modeling: Electric circuits	
Chapter 6: Laplace Transforms	
6.1 Laplace Transform. Linearity. First Shifting Theorem	1-14, 25 - 45
6.2 Transforms of Derivatives and Integrals. ODEs	1 – 21 (odd problems), 22
6.3 Unit Step Function (Heaviside Function).	1-27 3-12 1-11, 14 - 20
Second Shifting Theorem (t-Shifting)	
6.4 Short Impulses. Dirac's Delta Function.	
6.5 Convolution	
6.6 Differentiation and Integration of Transforms.  ODEs with Variable Coefficients.	
	2 – 13
Chapter 5: Series solutions of ODEs and Special functions.	
5.1 Power Series Method	6-10
5.2 Legendre's Equation. Legendre Polynomials	
5.3 Extended Power Series Method: Frobenius Method	1-13
Chapter 11: Fourier Analysis	
11.1 Fourier Series	1, 2, 6 – 10, 14 – 18,
11.2 Arbitrary Period. Even and Odd Functions.	1, 2, 8 – 10, 23, 24
11.5 Sturm–Liouville Problems. Orthogonal Functions	7 – 12
11.9 Fourier Transform.	2, 7
Chapter 12: Partial Differential Equations (PDE)	
12.1 Basic Concepts of PDEs	2 – 12 (odd Problems), 18, 19
12.3 Solution by Separating Variables	5 – 10
12.4 D'Alembert's Solution of the Wave Equation.	9-14
12.6 Heat Equation: Solution by Fourier Series.	5-7
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